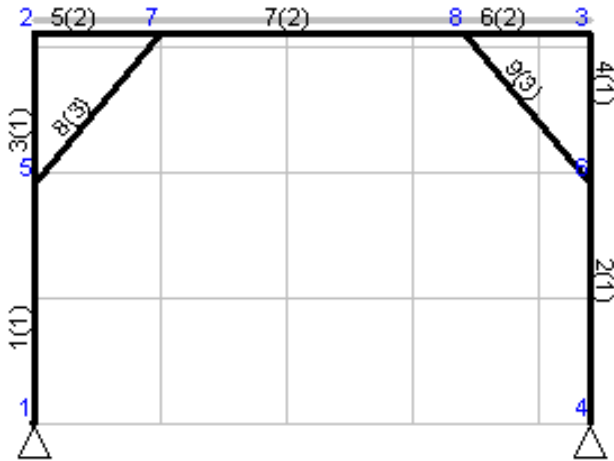


1-Finite element model (FEM)



Nodal points

| Node | x [m] | y [m] |
|------|-------|-------|
| 1    | 0.000 | 0.000 |
| 2    | 0.000 | 3.100 |
| 3    | 4.400 | 3.100 |
| 4    | 4.400 | 0.000 |
| 5    | 0.000 | 1.900 |
| 6    | 4.400 | 1.900 |
| 7    | 1.000 | 3.100 |
| 8    | 3.400 | 3.100 |

Supports

| Node | kind | ux [mm] | uy [mm] | ur [rad] |
|------|------|---------|---------|----------|
| 1    | pin  | ux=uy=0 |         |          |
| 4    | pin  | ux=uy=0 |         |          |

Materials

Material : Timber, E= 10.000 [GPa]  
 Weight density : ρ= 9.000 [kN/m³]  
 The element self weight is included in loads and masses

Element cross sections

| Cr.sec. | b [cm] | h [cm] | Ac [cm²]     | Ic [cm4]     |
|---------|--------|--------|--------------|--------------|
| 1       | 12.000 | 12.000 | 1.44000E+002 | 1.72800E+003 |
| 2       | 12.000 | 15.000 | 1.80000E+002 | 3.37500E+003 |
| 3       | 6.000  | 10.000 | 6.00000E+001 | 5.00000E+002 |

## Designing frame structures from Timber

### Elements

| Element | node 1 | node 2 | material | length(m) | angle(°) |
|---------|--------|--------|----------|-----------|----------|
| 1       | 1      | 5      | 1        | 1.900     | 90.000   |
| 2       | 6      | 4      | 1        | 1.900     | 270.000  |
| 3       | 5      | 2      | 1        | 1.200     | 90.000   |
| 4       | 3      | 6      | 1        | 1.200     | 270.000  |
| 5       | 2      | 7      | 2        | 1.000     | 0.000    |
| 6       | 8      | 3      | 2        | 1.000     | 0.000    |
| 7       | 7      | 8      | 2        | 2.400     | 0.000    |
| 8       | 5      | 7      | 3        | 1.562     | 50.194   |
| 9       | 8      | 6      | 3        | 1.562     | 309.806  |

### Element distributed loads ( $\gamma_g=1.35$ , $\gamma_q=1.50$ )

| element | G[kN/m] | Q[kN/m] | $\gamma_g G + \gamma_q Q$ [kN/m] | load kind | load direction |
|---------|---------|---------|----------------------------------|-----------|----------------|
| 5       | 0.800   | 1.600   | 3.480                            | uniform   | vertical       |
| 6       | 0.800   | 1.600   | 3.480                            | uniform   | vertical       |
| 7       | 0.800   | 1.600   | 3.480                            | uniform   | vertical       |

### Element distributed loads due to self weight ( $\gamma_g=1.35$ , $\gamma_q=1.50$ )

| element | G[kN/m] | Q[kN/m] | $\gamma_g G + \gamma_q Q$ [kN/m] | load kind | load direction |
|---------|---------|---------|----------------------------------|-----------|----------------|
| 1       | 0.130   | 0.000   | 0.175                            | uniform   | vertical       |
| 2       | 0.130   | 0.000   | 0.175                            | uniform   | vertical       |
| 3       | 0.130   | 0.000   | 0.175                            | uniform   | vertical       |
| 4       | 0.130   | 0.000   | 0.175                            | uniform   | vertical       |
| 5       | 0.162   | 0.000   | 0.219                            | uniform   | vertical       |
| 6       | 0.162   | 0.000   | 0.219                            | uniform   | vertical       |
| 7       | 0.162   | 0.000   | 0.219                            | uniform   | vertical       |
| 8       | 0.054   | 0.000   | 0.073                            | uniform   | vertical       |
| 9       | 0.054   | 0.000   | 0.073                            | uniform   | vertical       |

## 2-Results of static-linear-elastic analysis

### Diagrams of internal forces M, V, N, and displacements d, of element 1

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm]  | dy[mm] | d[mm]  |
|----|-------|------|--------|-------|-------|---------|--------|--------|
| 0  | 0.000 | 0.00 | 0.00   | 1.74  | -8.80 | 0.000   | 0.000  | 0.000  |
| 1  | 0.100 | 0.19 | -0.33  | 1.74  | -8.76 | -2.417  | -0.011 | 2.417  |
| 2  | 0.200 | 0.38 | -0.66  | 1.74  | -8.73 | -4.764  | -0.023 | 4.764  |
| 3  | 0.300 | 0.57 | -0.99  | 1.74  | -8.70 | -6.973  | -0.034 | 6.973  |
| 4  | 0.400 | 0.76 | -1.32  | 1.74  | -8.66 | -8.975  | -0.046 | 8.975  |
| 5  | 0.500 | 0.95 | -1.66  | 1.74  | -8.63 | -10.700 | -0.057 | 10.700 |
| 6  | 0.600 | 1.14 | -1.99  | 1.74  | -8.59 | -12.079 | -0.068 | 12.079 |
| 7  | 0.700 | 1.33 | -2.32  | 1.74  | -8.56 | -13.043 | -0.080 | 13.044 |
| 8  | 0.800 | 1.52 | -2.65  | 1.74  | -8.53 | -13.523 | -0.091 | 13.523 |
| 9  | 0.900 | 1.71 | -2.98  | 1.74  | -8.49 | -13.450 | -0.102 | 13.450 |
| 10 | 1.000 | 1.90 | -3.31  | 1.74  | -8.46 | -12.754 | -0.114 | 12.754 |

### Maximum values for element 1

|       |           |       |           |
|-------|-----------|-------|-----------|
| maxM= | 0.00 kNm, | minM= | -3.31 kNm |
| maxV= | 1.74 kN,  | minV= | 1.74 kN   |
| maxN= | -8.46 kN, | minN= | -8.80 kN  |
| maxd= | 13.523 mm |       |           |

**Diagrams of internal forces M, V, N, and displacements d, of element 2**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm] | dy[mm] | d[mm]  |
|----|-------|------|--------|-------|-------|--------|--------|--------|
| 0  | 0.000 | 0.00 | -3.31  | -1.74 | -8.46 | 12.754 | -0.114 | 12.754 |
| 1  | 0.100 | 0.19 | -2.98  | -1.74 | -8.49 | 13.450 | -0.102 | 13.451 |
| 2  | 0.200 | 0.38 | -2.65  | -1.74 | -8.53 | 13.524 | -0.091 | 13.524 |
| 3  | 0.300 | 0.57 | -2.32  | -1.74 | -8.56 | 13.043 | -0.080 | 13.044 |
| 4  | 0.400 | 0.76 | -1.99  | -1.74 | -8.60 | 12.080 | -0.068 | 12.080 |
| 5  | 0.500 | 0.95 | -1.66  | -1.74 | -8.63 | 10.700 | -0.057 | 10.700 |
| 6  | 0.600 | 1.14 | -1.32  | -1.74 | -8.66 | 8.976  | -0.046 | 8.976  |
| 7  | 0.700 | 1.33 | -0.99  | -1.74 | -8.70 | 6.974  | -0.034 | 6.974  |
| 8  | 0.800 | 1.52 | -0.66  | -1.74 | -8.73 | 4.765  | -0.023 | 4.765  |
| 9  | 0.900 | 1.71 | -0.33  | -1.74 | -8.76 | 2.417  | -0.011 | 2.417  |
| 10 | 1.000 | 1.90 | 0.00   | -1.74 | -8.80 | 0.000  | 0.000  | 0.000  |

Maximum values for element 2

maxM= 0.00 kNm, minM= -3.31 kNm  
 maxV= -1.74 kN, minV= -1.74 kN  
 maxN= -8.46 kN, minN= -8.80 kN  
 maxd= 13.524 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 3**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm]  | dy[mm] | d[mm]  |
|----|-------|------|--------|-------|-------|---------|--------|--------|
| 0  | 0.000 | 0.00 | -2.55  | -2.63 | -1.93 | -12.754 | -0.114 | 12.754 |
| 1  | 0.100 | 0.12 | -2.24  | -2.63 | -1.91 | -12.001 | -0.115 | 12.002 |
| 2  | 0.200 | 0.24 | -1.92  | -2.63 | -1.88 | -11.062 | -0.117 | 11.063 |
| 3  | 0.300 | 0.36 | -1.60  | -2.63 | -1.86 | -9.963  | -0.118 | 9.964  |
| 4  | 0.400 | 0.48 | -1.29  | -2.63 | -1.84 | -8.731  | -0.120 | 8.732  |
| 5  | 0.500 | 0.60 | -0.97  | -2.63 | -1.82 | -7.391  | -0.122 | 7.392  |
| 6  | 0.600 | 0.72 | -0.66  | -2.63 | -1.80 | -5.970  | -0.123 | 5.971  |
| 7  | 0.700 | 0.84 | -0.34  | -2.63 | -1.78 | -4.495  | -0.124 | 4.496  |
| 8  | 0.800 | 0.96 | -0.03  | -2.63 | -1.76 | -2.991  | -0.126 | 2.993  |
| 9  | 0.900 | 1.08 | 0.29   | -2.63 | -1.74 | -1.485  | -0.127 | 1.490  |
| 10 | 1.000 | 1.20 | 0.61   | -2.63 | -1.72 | -0.003  | -0.129 | 0.129  |

Maximum values for element 3

maxM= 0.61 kNm, minM= -2.55 kNm  
 maxV= -2.63 kN, minV= -2.63 kN  
 maxN= -1.72 kN, minN= -1.93 kN  
 maxd= 12.754 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 4**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm] | dy[mm] | d[mm]  |
|----|-------|------|--------|-------|-------|--------|--------|--------|
| 0  | 0.000 | 0.00 | 0.61   | 2.63  | -1.72 | 0.003  | -0.129 | 0.129  |
| 1  | 0.100 | 0.12 | 0.29   | 2.63  | -1.74 | 1.485  | -0.127 | 1.490  |
| 2  | 0.200 | 0.24 | -0.03  | 2.63  | -1.76 | 2.991  | -0.126 | 2.994  |
| 3  | 0.300 | 0.36 | -0.34  | 2.63  | -1.78 | 4.495  | -0.124 | 4.497  |
| 4  | 0.400 | 0.48 | -0.66  | 2.63  | -1.80 | 5.970  | -0.123 | 5.972  |
| 5  | 0.500 | 0.60 | -0.97  | 2.63  | -1.82 | 7.391  | -0.122 | 7.392  |
| 6  | 0.600 | 0.72 | -1.29  | 2.63  | -1.84 | 8.731  | -0.120 | 8.732  |
| 7  | 0.700 | 0.84 | -1.60  | 2.63  | -1.86 | 9.964  | -0.118 | 9.965  |
| 8  | 0.800 | 0.96 | -1.92  | 2.63  | -1.88 | 11.063 | -0.117 | 11.063 |
| 9  | 0.900 | 1.08 | -2.24  | 2.63  | -1.91 | 12.002 | -0.115 | 12.002 |
| 10 | 1.000 | 1.20 | -2.55  | 2.63  | -1.93 | 12.754 | -0.114 | 12.754 |

Maximum values for element 4

maxM= 0.61 kNm, minM= -2.55 kNm  
 maxV= 2.63 kN, minV= 2.63 kN  
 maxN= -1.72 kN, minN= -1.93 kN  
 maxd= 12.754 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 5**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm] | dy[mm]  | d[mm]  |
|----|-------|------|--------|-------|-------|--------|---------|--------|
| 0  | 0.000 | 0.00 | 0.61   | -1.72 | 2.63  | -0.003 | -0.129  | 0.129  |
| 1  | 0.100 | 0.10 | 0.76   | -1.35 | 2.63  | -0.001 | -1.337  | 1.337  |
| 2  | 0.200 | 0.20 | 0.88   | -0.98 | 2.63  | 0.000  | -2.522  | 2.522  |
| 3  | 0.300 | 0.30 | 0.95   | -0.61 | 2.63  | 0.002  | -3.681  | 3.681  |
| 4  | 0.400 | 0.40 | 1.00   | -0.24 | 2.63  | 0.003  | -4.813  | 4.813  |
| 5  | 0.500 | 0.50 | 1.00   | 0.13  | 2.63  | 0.005  | -5.915  | 5.915  |
| 6  | 0.600 | 0.60 | 0.97   | 0.50  | 2.63  | 0.006  | -6.987  | 6.987  |
| 7  | 0.700 | 0.70 | 0.90   | 0.87  | 2.63  | 0.007  | -8.030  | 8.030  |
| 8  | 0.800 | 0.80 | 0.80   | 1.24  | 2.63  | 0.009  | -9.048  | 9.048  |
| 9  | 0.900 | 0.90 | 0.65   | 1.61  | 2.63  | 0.010  | -10.041 | 10.041 |
| 10 | 1.000 | 1.00 | 0.47   | 1.98  | 2.63  | 0.012  | -11.015 | 11.015 |

Maximum values for element 5

maxM= 1.00 kNm, minM= 0.47 kNm  
 maxV= 1.98 kN, minV= -1.72 kN  
 maxN= 2.63 kN, minN= 2.63 kN  
 maxd= 11.015 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 6**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm] | dy[mm]  | d[mm]  |
|----|-------|------|--------|-------|-------|--------|---------|--------|
| 0  | 0.000 | 0.00 | 0.47   | -1.98 | 2.63  | -0.011 | -11.015 | 11.015 |
| 1  | 0.100 | 0.10 | 0.65   | -1.61 | 2.63  | -0.010 | -10.041 | 10.041 |
| 2  | 0.200 | 0.20 | 0.80   | -1.24 | 2.63  | -0.009 | -9.048  | 9.048  |
| 3  | 0.300 | 0.30 | 0.90   | -0.87 | 2.63  | -0.007 | -8.030  | 8.030  |
| 4  | 0.400 | 0.40 | 0.97   | -0.50 | 2.63  | -0.006 | -6.987  | 6.987  |
| 5  | 0.500 | 0.50 | 1.00   | -0.13 | 2.63  | -0.004 | -5.915  | 5.915  |
| 6  | 0.600 | 0.60 | 1.00   | 0.24  | 2.63  | -0.003 | -4.813  | 4.813  |
| 7  | 0.700 | 0.70 | 0.95   | 0.61  | 2.63  | -0.001 | -3.681  | 3.681  |
| 8  | 0.800 | 0.80 | 0.88   | 0.98  | 2.63  | 0.000  | -2.522  | 2.522  |
| 9  | 0.900 | 0.90 | 0.76   | 1.35  | 2.63  | 0.002  | -1.337  | 1.337  |
| 10 | 1.000 | 1.00 | 0.61   | 1.72  | 2.63  | 0.003  | -0.129  | 0.129  |

Maximum values for element 6

maxM= 1.00 kNm, minM= 0.47 kNm  
 maxV= 1.72 kN, minV= -1.98 kN  
 maxN= 2.63 kN, minN= 2.63 kN  
 maxd= 11.015 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 7**

| n  | x/l   | x[m] | M[kNm] | V[kN] | N[kN] | dx[mm] | dy[mm]  | d[mm]  |
|----|-------|------|--------|-------|-------|--------|---------|--------|
| 0  | 0.000 | 0.00 | 0.94   | -4.44 | -1.74 | 0.012  | -11.015 | 11.015 |
| 1  | 0.100 | 0.24 | 1.90   | -3.55 | -1.74 | 0.010  | -13.225 | 13.225 |
| 2  | 0.200 | 0.48 | 2.65   | -2.66 | -1.74 | 0.007  | -15.114 | 15.114 |
| 3  | 0.300 | 0.72 | 3.18   | -1.78 | -1.74 | 0.005  | -16.554 | 16.554 |
| 4  | 0.400 | 0.96 | 3.50   | -0.89 | -1.74 | 0.002  | -17.454 | 17.454 |
| 5  | 0.500 | 1.20 | 3.61   | 0.00  | -1.74 | 0.000  | -17.760 | 17.760 |
| 6  | 0.600 | 1.44 | 3.50   | 0.89  | -1.74 | -0.002 | -17.454 | 17.454 |
| 7  | 0.700 | 1.68 | 3.18   | 1.78  | -1.74 | -0.005 | -16.554 | 16.554 |
| 8  | 0.800 | 1.92 | 2.65   | 2.66  | -1.74 | -0.007 | -15.114 | 15.114 |
| 9  | 0.900 | 2.16 | 1.90   | 3.55  | -1.74 | -0.009 | -13.225 | 13.225 |
| 10 | 1.000 | 2.40 | 0.94   | 4.44  | -1.74 | -0.011 | -11.015 | 11.015 |

Maximum values for element 7

maxM= 3.61 kNm, minM= 0.94 kNm  
 maxV= 4.44 kN, minV= -4.44 kN  
 maxN= -1.74 kN, minN= -1.74 kN  
 maxd= 17.760 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 8**

| n  | x/l   | x [m] | M [kNm] | V [kN] | N [kN] | dx [mm] | dy [mm] | d [mm] |
|----|-------|-------|---------|--------|--------|---------|---------|--------|
| 0  | 0.000 | 0.00  | -0.76   | -0.82  | -7.82  | -12.754 | -0.114  | 12.754 |
| 1  | 0.100 | 0.16  | -0.63   | -0.82  | -7.81  | -11.981 | -0.784  | 12.007 |
| 2  | 0.200 | 0.31  | -0.51   | -0.81  | -7.80  | -10.972 | -1.651  | 11.096 |
| 3  | 0.300 | 0.47  | -0.38   | -0.80  | -7.79  | -9.773  | -2.676  | 10.133 |
| 4  | 0.400 | 0.62  | -0.25   | -0.79  | -7.79  | -8.432  | -3.820  | 9.257  |
| 5  | 0.500 | 0.78  | -0.13   | -0.79  | -7.78  | -6.996  | -5.044  | 8.624  |
| 6  | 0.600 | 0.94  | -0.01   | -0.78  | -7.77  | -5.510  | -6.308  | 8.376  |
| 7  | 0.700 | 1.09  | 0.11    | -0.77  | -7.76  | -4.021  | -7.575  | 8.576  |
| 8  | 0.800 | 1.25  | 0.23    | -0.77  | -7.75  | -2.575  | -8.807  | 9.176  |
| 9  | 0.900 | 1.41  | 0.35    | -0.76  | -7.74  | -1.216  | -9.966  | 10.040 |
| 10 | 1.000 | 1.56  | 0.47    | -0.75  | -7.73  | 0.012   | -11.015 | 11.015 |

**Maximum values for element 8**

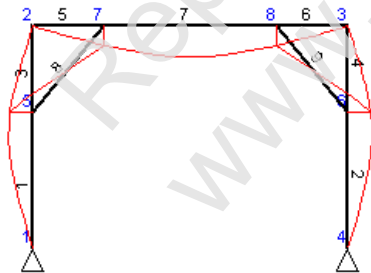
maxM= 0.47 kNm, minM= -0.76 kNm  
 maxV= -0.75 kN, minV= -0.82 kN  
 maxN= -7.73 kN, minN= -7.82 kN  
 maxd= 12.754 mm

**Diagrams of internal forces M, V, N, and displacements d, of element 9**

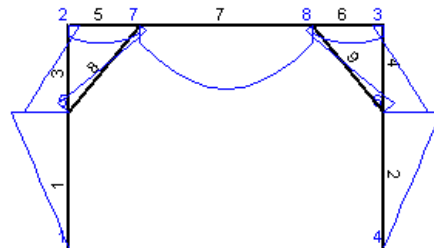
| n  | x/l   | x [m] | M [kNm] | V [kN] | N [kN] | dx [mm] | dy [mm] | d [mm] |
|----|-------|-------|---------|--------|--------|---------|---------|--------|
| 0  | 0.000 | 0.00  | 0.47    | 0.75   | -7.73  | -0.011  | -11.015 | 11.015 |
| 1  | 0.100 | 0.16  | 0.35    | 0.76   | -7.74  | 1.216   | -9.966  | 10.040 |
| 2  | 0.200 | 0.31  | 0.23    | 0.77   | -7.75  | 2.575   | -8.807  | 9.176  |
| 3  | 0.300 | 0.47  | 0.11    | 0.77   | -7.76  | 4.022   | -7.575  | 8.577  |
| 4  | 0.400 | 0.62  | -0.01   | 0.78   | -7.77  | 5.511   | -6.308  | 8.376  |
| 5  | 0.500 | 0.78  | -0.13   | 0.79   | -7.78  | 6.996   | -5.044  | 8.625  |
| 6  | 0.600 | 0.94  | -0.25   | 0.79   | -7.79  | 8.433   | -3.820  | 9.258  |
| 7  | 0.700 | 1.09  | -0.38   | 0.80   | -7.79  | 9.774   | -2.676  | 10.133 |
| 8  | 0.800 | 1.25  | -0.51   | 0.81   | -7.80  | 10.973  | -1.651  | 11.096 |
| 9  | 0.900 | 1.41  | -0.63   | 0.82   | -7.81  | 11.982  | -0.784  | 12.007 |
| 10 | 1.000 | 1.56  | -0.76   | 0.82   | -7.82  | 12.754  | -0.114  | 12.754 |

**Maximum values for element 9**

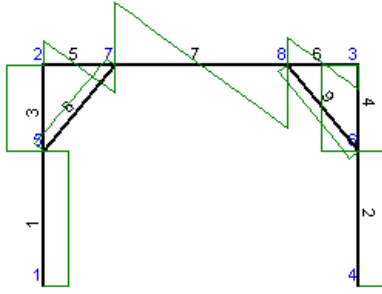
maxM= 0.47 kNm, minM= -0.76 kNm  
 maxV= 0.82 kN, minV= 0.75 kN  
 maxN= -7.73 kN, minN= -7.82 kN  
 maxd= 12.754 mm



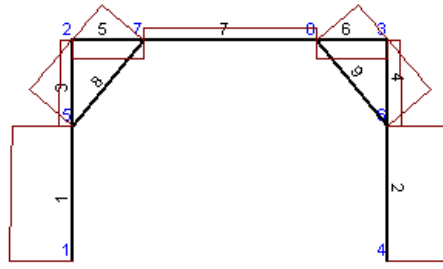
Displacement diagram  
 maxD=17.76 mm



Bending moment diagram  
 maxM=3.61 kNm, minM=-3.31 kNm



Shear force diagram  
maxV=4.44 kN, minV=-4.44 kN



Axial force diagram  
maxN=2.63 kN, minN=-8.80 kN

Report sample of Timber  
www.runet-software.com

### 3-Dimensioning of Timber

#### Design codes

EN1990:2002, Eurocode 0 Basis of Structural Design  
 EN1991-1-1:2002, Eurocode 1-1 Actions on structures  
 EN1995-1-1:2009, Eurocode 5 Timber structures  
 EN1997-1-1:2004, Eurocode 7 Geotechnical design  
 EN1998-1-1:2004, Eurocode 8 Design in earthquake environment  
 NA - National Annex:

#### Material properties (EC5 EN1995-1-1:2009, §3)

Timber class : C24  
 Service classes : Class 2, moisture content $\leq$ 20% (§2.3.1.3)  
 Material factor  $\gamma_M=1.30$  (EC5 Table 2.3)  
 Load duration classes : Long-term (Table 2.1)

#### Timber design, element 1, [Span ], L= 1.900m, B= 120mm, H= 120mm

**Med = -2.32 kNm, Ved = 1.74 kN, Ned = -8.56 kN (x=1.33m)**

#### Compression parallel to the grain, Fc0d=-8.562 kN (EC5 §6.1.4)

Rectangular cross section, b=120 mm, h=120 mm, A= 14 400 mm<sup>2</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $fc0k=21.00$  N/mm<sup>2</sup>,  $fc0d=Kmod \cdot fc0k / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31$  N/mm<sup>2</sup> (EC5 Eq.2.14)  
 $Fc0d = -8.562$  kN,  $oc0d = Fc0d / Anetto = 1000 \times 8.562 / 14400 = 0.59$  N/mm<sup>2</sup> < 11.31 N/mm<sup>2</sup> = fc0d (Eq.6.2)  
 The check is satisfied

#### Bending, Myd=2.318 kNm, Mzd=0.000 kNm (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=120mm, A=1.440E+004mm<sup>2</sup>, Wy=2.880E+005mm<sup>3</sup>, Wz=2.880E+005mm<sup>3</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)

$fmyk=24.00$  N/mm<sup>2</sup>,  $fmyd=Kmod \cdot fmyk / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>  
 $fmzk=24.00$  N/mm<sup>2</sup>,  $fmzd=Kmod \cdot fmzk / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>

Rectangular cross section Km=0.70 (EC5 §6.1.6.(2))  
 $omyd=Myd/Wmy,netto=1E+06 \times 2.318 / 2.880E+005 = 8.05$  N/mm<sup>2</sup>  
 $omzd=Mzd/Wmz,netto=1E+06 \times 0.000 / 2.880E+005 = 0.00$  N/mm<sup>2</sup>

$omyd/fmyd + Km \cdot omzd/fmzd = 0.623 + 0.000 = 0.62 < 1$  (EC5 Eq.6.11)  
 $Km \cdot omyd/fmyd + omzd/fmzd = 0.436 + 0.000 = 0.44 < 1$  (EC5 Eq.6.12)  
 The check is satisfied

#### Shear, Fv=1.743 kN (EC5 §6.1.7)

Rectangular cross section, bef=0.67x120=80 mm, h=120 mm, A= 9 600 mm<sup>2</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $fvk=4.00$  N/mm<sup>2</sup>,  $fvd=Kmod \cdot fvk / \gamma_M = 0.70 \times 4.00 / 1.30 = 2.15$  N/mm<sup>2</sup> (EC5 Eq.2.14)  
 $Fv=1.743$  kN,  $fv0d=1.50Fv0d/Anetto=1000 \times 1.50 \times 1.743 / 9600 = 0.27$  N/mm<sup>2</sup> < 2.15 N/mm<sup>2</sup> = fv0d (Eq.6.13)  
 The check is satisfied

#### Combined bending and axial compression, Fc0d=-8.562kN, Myd=2.318kNm, Mzd=0.000kNm (EC5 §6.2.4)

Rectangular cross section, b=120mm, h=120mm, A=1.440E+004mm<sup>2</sup>, Wy=2.880E+005mm<sup>3</sup>, Wz=2.880E+005mm<sup>3</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $fc0k=21.00$  N/mm<sup>2</sup>,  $fc0d=Kmod \cdot fc0k / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31$  N/mm<sup>2</sup>  
 $fmyk=24.00$  N/mm<sup>2</sup>,  $fmyd=Kmod \cdot fmyk / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>  
 $fmzk=24.00$  N/mm<sup>2</sup>,  $fmzd=Kmod \cdot fmzk / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>

## Designing frame structures from Timber

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d} = F_{c0d}/A_{netto} = 1000 \times 8.562 / 14400 = 0.59 \text{ N/mm}^2$   
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1 \times 10^6 \times 2.318 / 2.880 \times 10^5 = 8.05 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1 \times 10^6 \times 0.000 / 2.880 \times 10^5 = 0.00 \text{ N/mm}^2$

$$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.003 + 0.623 + 0.000 = 0.63 < 1 \text{ (EC5 Eq.6.19)}$$

$$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.003 + 0.436 + 0.000 = 0.44 < 1 \text{ (EC5 Eq.6.20)}$$

The check is satisfied

### Timber design, element 1, [Left end], L= 1.900m, B= 120mm, H= 120mm

**MedA=0.00kNm (x=t/2=0.00m), VedA=1.74kN (x=t/2=0.00m), VedAmax=1.74kN, NedA=-8.80kN**

**Compression parallel to the grain, Fc0d=-8.795 kN** (EC5 §6.1.4)

Rectangular cross section, b=120 mm, h=120 mm, A= 14 400 mm<sup>2</sup>  
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00 \text{ N/mm}^2$ ,  $f_{c0d}=K_{mod} \cdot f_{c0k}/\gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_{c0d} = -8.795 \text{ kN}$ ,  $\sigma_{c0d} = F_{c0d}/A_{netto} = 1000 \times 8.795 / 14400 = 0.61 \text{ N/mm}^2 < 11.31 \text{ N/mm}^2 = f_{c0d}$  (Eq.6.2)  
The check is satisfied

**Shear, Fv=1.743 kN** (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67 \times 120 = 80 \text{ mm}$ , h=120 mm, A= 9 600 mm<sup>2</sup>  
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00 \text{ N/mm}^2$ ,  $f_{vd}=K_{mod} \cdot f_{vk}/\gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_v = 1.743 \text{ kN}$ ,  $\tau_{v0d} = 1.50 F_{v0d}/A_{netto} = 1000 \times 1.50 \times 1.743 / 9600 = 0.27 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d}$  (Eq.6.13)  
The check is satisfied

### Timber design, element 1, [Right end], L= 1.900m, B= 120mm, H= 120mm

**MedB=-3.17kNm (x=t/2=0.08m), VedB=1.74kN (x=t/2=0.08m), VedBmax=1.74kN, NedB=-8.46kN**

**Compression parallel to the grain, Fc0d=-8.462 kN** (EC5 §6.1.4)

Rectangular cross section, b=120 mm, h=120 mm, A= 14 400 mm<sup>2</sup>  
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00 \text{ N/mm}^2$ ,  $f_{c0d}=K_{mod} \cdot f_{c0k}/\gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_{c0d} = -8.462 \text{ kN}$ ,  $\sigma_{c0d} = F_{c0d}/A_{netto} = 1000 \times 8.462 / 14400 = 0.59 \text{ N/mm}^2 < 11.31 \text{ N/mm}^2 = f_{c0d}$  (Eq.6.2)  
The check is satisfied

**Bending, Myd=3.175 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=120mm, A=1.440E+004mm<sup>2</sup>,  $W_y=2.880 \times 10^5 \text{ mm}^3$ ,  $W_z=2.880 \times 10^5 \text{ mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{myk}=24.00 \text{ N/mm}^2$ ,  $f_{myd}=K_{mod} \cdot f_{myk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$   
 $f_{mzk}=24.00 \text{ N/mm}^2$ ,  $f_{mzd}=K_{mod} \cdot f_{mzk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1 \times 10^6 \times 3.175 / 2.880 \times 10^5 = 11.02 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1 \times 10^6 \times 0.000 / 2.880 \times 10^5 = 0.00 \text{ N/mm}^2$

$$\sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.853 + 0.000 = 0.85 < 1 \text{ (EC5 Eq.6.11)}$$

$$K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.597 + 0.000 = 0.60 < 1 \text{ (EC5 Eq.6.12)}$$

The check is satisfied

**Shear, Fv=1.743 kN** (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67 \times 120 = 80 \text{ mm}$ , h=120 mm, A= 9 600 mm<sup>2</sup>  
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00 \text{ N/mm}^2$ ,  $f_{vd}=K_{mod} \cdot f_{vk}/\gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_v = 1.743 \text{ kN}$ ,  $\tau_{v0d} = 1.50 F_{v0d}/A_{netto} = 1000 \times 1.50 \times 1.743 / 9600 = 0.27 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d}$  (Eq.6.13)  
The check is satisfied



## Designing frame structures from Timber

**Combined bending and axial compression,  $F_{c0d}=-8.462\text{kN}$ ,  $M_{yd}=3.175\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.2.4)  
Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 8.462/14400=0.59\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 3.175/2.880\text{E}+005=11.02\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/2.880\text{E}+005=0.00\text{ N/mm}^2$

$$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.003 + 0.853 + 0.000 = 0.86 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.003 + 0.597 + 0.000 = 0.60 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

### Timber design, element 1, L= 1.900m, B= 120mm, H= 120mm, Buckling resistance

**Column stability with bending,  $F_{c0d}=-8.795\text{kN}$ ,  $M_{yd}=3.175\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.3.2)  
Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3,  $E_{005}=7400\text{N/mm}^2$ )  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 8.795/14400=0.61\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 3.175/2.880\text{E}+005=11.02\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/2.880\text{E}+005=0.00\text{ N/mm}^2$

#### Buckling length $S_k$

$S_{ky}=1.00\times 1.900=1.900\text{ m}=1900\text{ mm}$   
 $S_{kz}=1.00\times 1.900=1.900\text{ m}=1900\text{ mm}$

#### Slenderness

$i_y=\sqrt{(I_y/A)}=0.289\times 120=35\text{ mm}$ ,  $\lambda_y=1900/35=54.29$   
 $i_z=\sqrt{(I_z/A)}=0.289\times 120=35\text{ mm}$ ,  $\lambda_z=1900/35=54.29$

#### Critical stresses

$\sigma_{c,crity}=\pi^2 E_{005}/\lambda_y^2=24.78\text{ N/mm}^2$ ,  $\lambda_{rel,y}=\sqrt{(f_{c0k}/\sigma_{c,crity})}=0.92$  (EC5 Eq.6.21)  
 $\sigma_{c,critz}=\pi^2 E_{005}/\lambda_z^2=24.78\text{ N/mm}^2$ ,  $\lambda_{rel,z}=\sqrt{(f_{c0k}/\sigma_{c,critz})}=0.92$  (EC5 Eq.6.22)

$\beta_c=0.20$  (solid timber)

$$k_y=0.5[1+\beta_c(\lambda_{rel,y}-0.3)+\lambda_{rel,y}^2]=0.99, K_{cy}=1/(k_y+\sqrt{(k_y^2-\lambda_{rel,y}^2)})=0.747 \quad (\text{Eq.6.27 6.25})$$

$$k_z=0.5[1+\beta_c(\lambda_{rel,z}-0.3)+\lambda_{rel,z}^2]=0.99, K_{cz}=1/(k_z+\sqrt{(k_z^2-\lambda_{rel,z}^2)})=0.747 \quad (\text{Eq.6.28 6.26})$$

$$\sigma_{c0d}/(K_{cy}\cdot f_{c0d}) + \sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.072 + 0.853 + 0.000 = 0.93 < 1 \quad (\text{EC5 Eq.6.23})$$

$$\sigma_{c0d}/(K_{cz}\cdot f_{c0d}) + K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.072 + 0.597 + 0.000 = 0.67 < 1 \quad (\text{EC5 Eq.6.24})$$

The check is satisfied

### Timber design, element 3, [Span ], L= 1.200m, B= 120mm, H= 120mm

**Med = -1.60 kNm, Ved = 2.63 kN, Ned = -1.86 kN (x=0.36m)**

**Bending,  $M_{yd}=1.604\text{ kNm}$ ,  $M_{zd}=0.000\text{ kNm}$**  (EC5 §6.1.6)

Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)

$f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

$f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

## Designing frame structures from Timber

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 1.604 / 2.880E+005 = 5.57 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 2.880E+005 = 0.00 \text{ N/mm}^2$

$\sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.431 + 0.000 = 0.43 < 1$  (EC5 Eq.6.11)  
 $K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.302 + 0.000 = 0.30 < 1$  (EC5 Eq.6.12)  
The check is satisfied

### Shear, $F_v=2.631 \text{ kN}$ (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67 \times 120=80 \text{ mm}$ ,  $h=120 \text{ mm}$ ,  $A=9600 \text{ mm}^2$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00 \text{ N/mm}^2$ ,  $f_{vd}=K_{mod} \cdot f_{vk}/\gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_v=2.631 \text{ kN}$ ,  $\tau_{v0d}=1.50 F_{v0d}/A_{netto} = 1000 \times 1.50 \times 2.631 / 9600 = 0.41 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d}$  (Eq.6.13)  
The check is satisfied

### Combined bending and axial compression, $F_{c0d}=-1.863 \text{ kN}$ , $M_{yd}=1.604 \text{ kNm}$ , $M_{zd}=0.000 \text{ kNm}$ (EC5 §6.2.4)

Rectangular cross section,  $b=120 \text{ mm}$ ,  $h=120 \text{ mm}$ ,  $A=1.440E+004 \text{ mm}^2$ ,  $W_y=2.880E+005 \text{ mm}^3$ ,  $W_z=2.880E+005 \text{ mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00 \text{ N/mm}^2$ ,  $f_{c0d}=K_{mod} \cdot f_{c0k}/\gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$   
 $f_{myk}=24.00 \text{ N/mm}^2$ ,  $f_{myd}=K_{mod} \cdot f_{myk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$   
 $f_{mzk}=24.00 \text{ N/mm}^2$ ,  $f_{mzd}=K_{mod} \cdot f_{mzk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d} = F_{c0d}/A_{netto} = 1000 \times 1.863 / 14400 = 0.13 \text{ N/mm}^2$   
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 1.604 / 2.880E+005 = 5.57 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 2.880E+005 = 0.00 \text{ N/mm}^2$

$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.000 + 0.431 + 0.000 = 0.43 < 1$  (EC5 Eq.6.19)  
 $(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.000 + 0.302 + 0.000 = 0.30 < 1$  (EC5 Eq.6.20)  
The check is satisfied

## Timber design, element 3, [Left end ], $L=1.200 \text{ m}$ , $B=120 \text{ mm}$ , $H=120 \text{ mm}$

$MedA=-2.35 \text{ kNm}$  ( $x=t/2=0.08 \text{ m}$ ),  $VedA=2.63 \text{ kN}$  ( $x=t/2=0.08 \text{ m}$ ),  $VedA_{max}=2.63 \text{ kN}$ ,  $NedA=-1.93 \text{ kN}$

### Bending, $M_{yd}=2.345 \text{ kNm}$ , $M_{zd}=0.000 \text{ kNm}$ (EC5 §6.1.6)

Rectangular cross section,  $b=120 \text{ mm}$ ,  $h=120 \text{ mm}$ ,  $A=1.440E+004 \text{ mm}^2$ ,  $W_y=2.880E+005 \text{ mm}^3$ ,  $W_z=2.880E+005 \text{ mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{myk}=24.00 \text{ N/mm}^2$ ,  $f_{myd}=K_{mod} \cdot f_{myk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$   
 $f_{mzk}=24.00 \text{ N/mm}^2$ ,  $f_{mzd}=K_{mod} \cdot f_{mzk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 2.345 / 2.880E+005 = 8.14 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 2.880E+005 = 0.00 \text{ N/mm}^2$

$\sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.630 + 0.000 = 0.63 < 1$  (EC5 Eq.6.11)  
 $K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.441 + 0.000 = 0.44 < 1$  (EC5 Eq.6.12)  
The check is satisfied

### Shear, $F_v=2.631 \text{ kN}$ (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67 \times 120=80 \text{ mm}$ ,  $h=120 \text{ mm}$ ,  $A=9600 \text{ mm}^2$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00 \text{ N/mm}^2$ ,  $f_{vd}=K_{mod} \cdot f_{vk}/\gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_v=2.631 \text{ kN}$ ,  $\tau_{v0d}=1.50 F_{v0d}/A_{netto} = 1000 \times 1.50 \times 2.631 / 9600 = 0.41 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d}$  (Eq.6.13)  
The check is satisfied

## Designing frame structures from Timber

**Combined bending and axial compression,  $F_{c0d}=-1.926\text{kN}$ ,  $M_{yd}=2.345\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.2.4)  
Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 1.926/14400=0.13\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 2.345/2.880\text{E}+005=8.14\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/2.880\text{E}+005=0.00\text{ N/mm}^2$

$$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.000 + 0.630 + 0.000 = 0.63 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.000 + 0.441 + 0.000 = 0.44 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

### Timber design, element 3, [Right end], $L=1.200\text{m}$ , $B=120\text{mm}$ , $H=120\text{mm}$

**$Med_B=0.41\text{kNm}$  ( $x=t/2=0.07\text{m}$ ),  $V_{edB}=2.63\text{kN}$  ( $x=t/2=0.07\text{m}$ ),  $V_{edBmax}=2.63\text{kN}$ ,  $N_{edB}=-1.72\text{kN}$**

**Bending,  $M_{yd}=0.409\text{ kNm}$ ,  $M_{zd}=0.000\text{ kNm}$**  (EC5 §6.1.6)  
Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)

$f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 0.409/2.880\text{E}+005=1.42\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/2.880\text{E}+005=0.00\text{ N/mm}^2$

$$\sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.110 + 0.000 = 0.11 < 1 \quad (\text{EC5 Eq.6.11})$$

$$K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.077 + 0.000 = 0.08 < 1 \quad (\text{EC5 Eq.6.12})$$

The check is satisfied

**Shear,  $F_v=2.631\text{ kN}$**  (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67\times 120=80\text{ mm}$ ,  $h=120\text{ mm}$ ,  $A=9\text{ }600\text{ mm}^2$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00\text{ N/mm}^2$ ,  $f_{vd}=K_{mod}\cdot f_{vk}/\gamma_M=0.70\times 4.00/1.30=2.15\text{N/mm}^2$  (EC5 Eq.2.14)  
 $F_v=2.631\text{ kN}$ ,  $\tau_{v0d}=1.50F_{v0d}/A_{netto}=1000\times 1.50\times 2.631/9600=0.41\text{N/mm}^2 < 2.15\text{N/mm}^2=f_{v0d}$  (Eq.6.13)  
The check is satisfied

**Combined bending and axial compression,  $F_{c0d}=-1.716\text{kN}$ ,  $M_{yd}=0.409\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.2.4)  
Rectangular cross section,  $b=120\text{mm}$ ,  $h=120\text{mm}$ ,  $A=1.440\text{E}+004\text{mm}^2$ ,  $W_y=2.880\text{E}+005\text{mm}^3$ ,  $W_z=2.880\text{E}+005\text{mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 1.716/14400=0.12\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 0.409/2.880\text{E}+005=1.42\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/2.880\text{E}+005=0.00\text{ N/mm}^2$

$$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.000 + 0.110 + 0.000 = 0.11 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.000 + 0.077 + 0.000 = 0.08 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

**Timber design, element 3 , L= 1.200m, B= 120mm, H= 120mm, Buckling resistance**

**Column stability with bending, Fc0d=-1.926kN, Myd=2.345kNm, Mzd=0.000kNm** (EC5 §6.3.2)

Rectangular cross section, b=120mm, h=120mm, A=1.440E+004mm<sup>2</sup>, Wy=2.880E+005mm<sup>3</sup>, Wz=2.880E+005mm<sup>3</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3, E005=7400N/mm<sup>2</sup>)  
 fc0k=21.00 N/mm<sup>2</sup>, fc0d=Kmod·fc0k/γM=0.70x21.00/1.30=11.31N/mm<sup>2</sup>  
 fmyk=24.00 N/mm<sup>2</sup>, fmyd=Kmod·fmyk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>  
 fmzk=24.00 N/mm<sup>2</sup>, fmzd=Kmod·fmzk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section Km=0.70 (EC5 §6.1.6.(2))  
 cc0d=Fc0d/Anetto=1000x1.926/14400= 0.13 N/mm<sup>2</sup>  
 omyd=Myd/Wmy,netto=1E+06x2.345/2.880E+005= 8.14 N/mm<sup>2</sup>  
 omzd=Mzd/Wmz,netto=1E+06x0.000/2.880E+005= 0.00 N/mm<sup>2</sup>

Buckling length Sk

Sky= 1.00x1.200=1.200 m= 1200 mm  
 Skz= 1.00x1.200=1.200 m= 1200 mm

Slenderness

iy=√(Iy/A)=0.289x 120= 35 mm, λy= 1200/ 35= 34.29  
 iz=√(Iz/A)=0.289x 120= 35 mm, λz= 1200/ 35= 34.29

Critical stresses

σc,crity=π<sup>2</sup>E005/λy<sup>2</sup>= 62.11 N/mm<sup>2</sup>, λrel,y=√(fc0k/σc,crity)= 0.58 (EC5 Eq.6.21)  
 σc,critz=π<sup>2</sup>E005/λz<sup>2</sup>= 62.11 N/mm<sup>2</sup>, λrel,z=√(fc0k/σc,critz)= 0.58 (EC5 Eq.6.22)

βc=0.20 (solid timber)

ky=0.5[1+βc(λrel,y-0.3)+λrel,y<sup>2</sup>]= 0.70, Kcy=1/(ky+√(ky<sup>2</sup>-λrel,y<sup>2</sup>))=0.924 (Eq.6.27 6.25)  
 kz=0.5[1+βc(λrel,z-0.3)+λrel,z<sup>2</sup>]= 0.70, Kcz=1/(kz+√(kz<sup>2</sup>-λrel,z<sup>2</sup>))=0.924 (Eq.6.28 6.26)

σc0d/(Kcy·fc0d)+omyd/fmyd+Km·omzd/fmzd=0.013+0.630+0.000= 0.64 < 1 (EC5 Eq.6.23)  
 σc0d/(Kcz·fc0d)+Km·omyd/fmyd+omzd/fmzd=0.013+0.441+0.000= 0.45 < 1 (EC5 Eq.6.24)  
 The check is satisfied

**Timber design, element 5, [Span ], L= 1.000m, B= 120mm, H= 150mm**

**Med = 1.00 kNm, Ved = 0.13 kN, Ned = 2.63 kN (x=0.50m)**

**Bending, Myd=1.002 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

fmyk=24.00 N/mm<sup>2</sup>, fmyd=Kmod·fmyk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>  
 fmzk=24.00 N/mm<sup>2</sup>, fmzd=Kmod·fmzk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section Km=0.70 (EC5 §6.1.6.(2))  
 omyd=Myd/Wmy,netto=1E+06x1.002/4.500E+005= 2.23 N/mm<sup>2</sup>  
 omzd=Mzd/Wmz,netto=1E+06x0.000/3.600E+005= 0.00 N/mm<sup>2</sup>

omyd/fmyd+Km·omzd/fmzd=0.172+0.000= 0.17 < 1 (EC5 Eq.6.11)  
 Km·omyd/fmyd+omzd/fmzd=0.121+0.000= 0.12 < 1 (EC5 Eq.6.12)  
 The check is satisfied

**Combined bending and axial tension, Ft0d=2.631kN, Myd=1.002kNm, Mzd=0.000kNm** (EC5 §6.2.3)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>  
 Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

ft0k=14.00 N/mm<sup>2</sup>, ft0d=Kmod·ft0k/γM=0.70x14.00/1.30=7.54N/mm<sup>2</sup>  
 fmyk=24.00 N/mm<sup>2</sup>, fmyd=Kmod·fmyk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>  
 fmzk=24.00 N/mm<sup>2</sup>, fmzd=Kmod·fmzk/γM=0.70x24.00/1.30=12.92N/mm<sup>2</sup>

## Designing frame structures from Timber

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{t0d}=F_{t0d}/A_{netto}=1000 \times 2.631/18000=0.15 \text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1E+06 \times 1.002/4.500E+005=2.23 \text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1E+06 \times 0.000/3.600E+005=0.00 \text{ N/mm}^2$

$\sigma_{t0d}/f_{t0d}+\sigma_{myd}/f_{myd}+K_m \cdot \sigma_{mzd}/f_{mzd}=0.019+0.172+0.000=0.19 < 1$  (EC5 Eq.6.17)  
 $\sigma_{t0d}/f_{t0d}+K_m \cdot \sigma_{myd}/f_{myd}+\sigma_{mzd}/f_{mzd}=0.019+0.121+0.000=0.14 < 1$  (EC5 Eq.6.18)  
The check is satisfied

### Timber design, element 5, [Left end], L= 1.000m, B= 120mm, H= 150mm

**MedA=0.70kNm (x=t/2=0.06m), VedA=1.49kN (x=t/2=0.06m), VedAmax=1.72kN, NedA=2.63kN**

**Bending, Myd=0.702 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, W<sub>y</sub>=4.500E+005mm<sup>3</sup>, W<sub>z</sub>=3.600E+005mm<sup>3</sup>  
Modification factor K<sub>mod</sub>=0.70 (Table 3.1), material factor γ<sub>M</sub>=1.30 (Table 2.3)

f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=K<sub>mod</sub>·f<sub>myk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>  
f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=K<sub>mod</sub>·f<sub>mzk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))

$\sigma_{myd}=M_{yd}/W_{my,netto}=1E+06 \times 0.702/4.500E+005=1.56 \text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1E+06 \times 0.000/3.600E+005=0.00 \text{ N/mm}^2$

$\sigma_{myd}/f_{myd}+K_m \cdot \sigma_{mzd}/f_{mzd}=0.121+0.000=0.12 < 1$  (EC5 Eq.6.11)  
 $K_m \cdot \sigma_{myd}/f_{myd}+\sigma_{mzd}/f_{mzd}=0.085+0.000=0.08 < 1$  (EC5 Eq.6.12)  
The check is satisfied

**Shear, Fv=1.494 kN** (EC5 §6.1.7)

Rectangular cross section, b<sub>ef</sub>=0.67×120=80 mm, h=150 mm, A=12 000 mm<sup>2</sup>

Modification factor K<sub>mod</sub>=0.70 (Table 3.1), material factor γ<sub>M</sub>=1.30 (Table 2.3)

f<sub>vk</sub>=4.00 N/mm<sup>2</sup>, f<sub>vd</sub>=K<sub>mod</sub>·f<sub>vk</sub>/γ<sub>M</sub>=0.70×4.00/1.30=2.15N/mm<sup>2</sup> (EC5 Eq.2.14)

F<sub>v</sub>=1.494 kN, τ<sub>v0d</sub>=1.50F<sub>v0d</sub>/A<sub>netto</sub>=1000×1.50×1.494/12000=0.19N/mm<sup>2</sup> < 2.15N/mm<sup>2</sup>=f<sub>v0d</sub> (Eq.6.13)

The check is satisfied

**Combined bending and axial tension, Ft0d=2.631kN, Myd=0.702kNm, Mzd=0.000kNm** (EC5 §6.2.3)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, W<sub>y</sub>=4.500E+005mm<sup>3</sup>, W<sub>z</sub>=3.600E+005mm<sup>3</sup>  
Modification factor K<sub>mod</sub>=0.70 (Table 3.1), material factor γ<sub>M</sub>=1.30 (Table 2.3)

f<sub>t0k</sub>=14.00 N/mm<sup>2</sup>, f<sub>t0d</sub>=K<sub>mod</sub>·f<sub>t0k</sub>/γ<sub>M</sub>=0.70×14.00/1.30=7.54N/mm<sup>2</sup>

f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=K<sub>mod</sub>·f<sub>myk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=K<sub>mod</sub>·f<sub>mzk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))

$\sigma_{t0d}=F_{t0d}/A_{netto}=1000 \times 2.631/18000=0.15 \text{ N/mm}^2$

$\sigma_{myd}=M_{yd}/W_{my,netto}=1E+06 \times 0.702/4.500E+005=1.56 \text{ N/mm}^2$

$\sigma_{mzd}=M_{zd}/W_{mz,netto}=1E+06 \times 0.000/3.600E+005=0.00 \text{ N/mm}^2$

$\sigma_{t0d}/f_{t0d}+\sigma_{myd}/f_{myd}+K_m \cdot \sigma_{mzd}/f_{mzd}=0.019+0.121+0.000=0.14 < 1$  (EC5 Eq.6.17)

$\sigma_{t0d}/f_{t0d}+K_m \cdot \sigma_{myd}/f_{myd}+\sigma_{mzd}/f_{mzd}=0.019+0.085+0.000=0.10 < 1$  (EC5 Eq.6.18)

The check is satisfied

### Timber design, element 5, [Right end], L= 1.000m, B= 120mm, H= 150mm

**MedB=0.59kNm (x=t/2=0.07m), VedB=1.74kN (x=t/2=0.07m), VedBmax=1.72kN, NedB=2.63kN**

**Bending, Myd=0.594 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, W<sub>y</sub>=4.500E+005mm<sup>3</sup>, W<sub>z</sub>=3.600E+005mm<sup>3</sup>

Modification factor K<sub>mod</sub>=0.70 (Table 3.1), material factor γ<sub>M</sub>=1.30 (Table 2.3)

f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=K<sub>mod</sub>·f<sub>myk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=K<sub>mod</sub>·f<sub>mzk</sub>/γ<sub>M</sub>=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

## Designing frame structures from Timber

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 0.594 / 4.500E+005 = 1.32 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00 \text{ N/mm}^2$

$\sigma_{myd}/f_{myk} + K_m \cdot \sigma_{mzd}/f_{mzk} = 0.102 + 0.000 = 0.10 < 1$  (EC5 Eq.6.11)  
 $K_m \cdot \sigma_{myd}/f_{myk} + \sigma_{mzd}/f_{mzk} = 0.071 + 0.000 = 0.07 < 1$  (EC5 Eq.6.12)  
The check is satisfied

### Shear, $F_v=1.742 \text{ kN}$ (EC5 §6.1.7)

Rectangular cross section,  $b_{ef}=0.67 \times 120=80 \text{ mm}$ ,  $h=150 \text{ mm}$ ,  $A=12\,000 \text{ mm}^2$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00 \text{ N/mm}^2$ ,  $f_{vd}=K_{mod} \cdot f_{vk}/\gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2$  (EC5 Eq.2.14)  
 $F_v=1.742 \text{ kN}$ ,  $\tau_{v0d} = 1.50 F_{v0d}/A_{netto} = 1000 \times 1.50 \times 1.742 / 12000 = 0.22 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{vd}$  (Eq.6.13)  
The check is satisfied

### Combined bending and axial tension, $F_{t0d}=2.631 \text{ kN}$ , $M_{yd}=0.594 \text{ kNm}$ , $M_{zd}=0.000 \text{ kNm}$ (EC5 §6.2.3)

Rectangular cross section,  $b=120 \text{ mm}$ ,  $h=150 \text{ mm}$ ,  $A=1.800E+004 \text{ mm}^2$ ,  $W_y=4.500E+005 \text{ mm}^3$ ,  $W_z=3.600E+005 \text{ mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{t0k}=14.00 \text{ N/mm}^2$ ,  $f_{t0d}=K_{mod} \cdot f_{t0k}/\gamma_M = 0.70 \times 14.00 / 1.30 = 7.54 \text{ N/mm}^2$   
 $f_{yk}=24.00 \text{ N/mm}^2$ ,  $f_{yd}=K_{mod} \cdot f_{yk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$   
 $f_{zk}=24.00 \text{ N/mm}^2$ ,  $f_{zd}=K_{mod} \cdot f_{zk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{t0d} = F_{t0d}/A_{netto} = 1000 \times 2.631 / 18000 = 0.15 \text{ N/mm}^2$   
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 0.594 / 4.500E+005 = 1.32 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00 \text{ N/mm}^2$

$\sigma_{t0d}/f_{t0k} + \sigma_{myd}/f_{yk} + K_m \cdot \sigma_{mzd}/f_{zk} = 0.019 + 0.102 + 0.000 = 0.12 < 1$  (EC5 Eq.6.17)  
 $\sigma_{t0d}/f_{t0k} + K_m \cdot \sigma_{myd}/f_{yk} + \sigma_{mzd}/f_{zk} = 0.019 + 0.071 + 0.000 = 0.09 < 1$  (EC5 Eq.6.18)  
The check is satisfied

## Timber design, element 5, $L=1.000 \text{ m}$ , $B=120 \text{ mm}$ , $H=150 \text{ mm}$ , Buckling resistance

### Lateral torsional stability of beams, $M_{yd}=1.002 \text{ kNm}$ , $M_{zd}=0.000 \text{ kNm}$ (EC5 §6.3.3)

Rectangular cross section,  $b=120 \text{ mm}$ ,  $h=150 \text{ mm}$ ,  $A=1.800E+004 \text{ mm}^2$ ,  $W_y=4.500E+005 \text{ mm}^3$ ,  $W_z=3.600E+005 \text{ mm}^3$   
Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00 \text{ N/mm}^2$ ,  $f_{c0d}=K_{mod} \cdot f_{c0k}/\gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$   
 $f_{yk}=24.00 \text{ N/mm}^2$ ,  $f_{yd}=K_{mod} \cdot f_{yk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$   
 $f_{zk}=24.00 \text{ N/mm}^2$ ,  $f_{zd}=K_{mod} \cdot f_{zk}/\gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd} = M_{yd}/W_{my,netto} = 1E+06 \times 1.002 / 4.500E+005 = 2.23 \text{ N/mm}^2$   
 $\sigma_{mzd} = M_{zd}/W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00 \text{ N/mm}^2$

### Buckling length $S_k$

$S_{ky} = 1.00 \times 1.000 = 1.000 \text{ m} = 1000 \text{ mm}$   
 $S_{kz} = 1.00 \times 1.000 = 1.000 \text{ m} = 1000 \text{ mm}$

### Slenderness

$i_y = \sqrt{I_y/A} = 0.289 \times 150 = 43 \text{ mm}$ ,  $\lambda_y = 1000 / 43 = 23.26$   
 $i_z = \sqrt{I_z/A} = 0.289 \times 120 = 35 \text{ mm}$ ,  $\lambda_z = 1000 / 35 = 28.57$

$\sigma_{m,crit} = 0.78 \cdot b^2 \cdot E_{005} / (h \cdot l_{ef}) = 0.78 \times 120^2 \times 7400 / (150 \times 1000) = 554.11 \text{ N/mm}^2$  (EC5 Eq.6.32)  
 $\sigma_{m,crit} = 0.78 \cdot b^2 \cdot E_{005} / (h \cdot l_{ef}) = 0.78 \times 150^2 \times 7400 / (120 \times 1000) = 1082.25 \text{ N/mm}^2$  (EC5 Eq.6.32)

### Critical stresses

$\sigma_{m,crit,y} = 554.11 \text{ N/mm}^2$ ,  $\lambda_{rel,my} = \sqrt{f_{yk}/\sigma_{m,crit,y}} = 0.21$  (EC5 Eq.6.30)  
 $\sigma_{m,crit,z} = 1082.25 \text{ N/mm}^2$ ,  $\lambda_{rel,mz} = \sqrt{f_{mzk}/\sigma_{m,crit,z}} = 0.15$  (EC5 Eq.6.30)

$\lambda_{rel,my} = 0.21$ , ( $\lambda_{rel} \leq 0.75$ ),  $K_{crit,y} = 1.00$  (EC5 Eq.6.34)  
 $\lambda_{rel,mz} = 0.15$ , ( $\lambda_{rel} \leq 0.75$ ),  $K_{crit,z} = 1.00$  (EC5 Eq.6.34)

## Designing frame structures from Timber

$\sigma_{myd}/(K_{crity} \cdot f_{myd}) + K_m \cdot \sigma_{mzd}/(K_{critz} \cdot f_{mzd}) = 0.172 + 0.000 = 0.17 < 1$  (EC5 Eq.6.33)  
 $K_m \cdot \sigma_{myd}/(K_{crity} \cdot f_{myd}) + \sigma_{mzd}/(K_{critz} \cdot f_{mzd}) = 0.121 + 0.000 = 0.12 < 1$  (EC5 Eq.6.33)  
The check is satisfied

### Timber design, element 7, [Span ], L= 2.400m, B= 120mm, H= 150mm

**Med = 3.61 kNm, Ved = 0.00 kN, Ned = -1.74 kN (x=1.20m)**

**Bending, Myd=3.606 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>  
Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=Kmod·f<sub>myk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>  
f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=Kmod·f<sub>mzk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))  
 $\sigma_{myd} = Myd/W_{my, netto} = 1E+06 \times 3.606 / 4.500E+005 = 8.01$  N/mm<sup>2</sup>  
 $\sigma_{mzd} = Mzd/W_{mz, netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>

$\sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.620 + 0.000 = 0.62 < 1$  (EC5 Eq.6.11)

$K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.434 + 0.000 = 0.43 < 1$  (EC5 Eq.6.12)

The check is satisfied

**Combined bending and axial compression, Fc0d=-1.743kN, Myd=3.606kNm, Mzd=0.000kNm** (EC5 §6.2.4)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>  
Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

f<sub>c0k</sub>=21.00 N/mm<sup>2</sup>, f<sub>c0d</sub>=Kmod·f<sub>c0k</sub>/γM=0.70×21.00/1.30=11.31N/mm<sup>2</sup>  
f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=Kmod·f<sub>myk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>  
f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=Kmod·f<sub>mzk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))  
 $\sigma_{c0d} = F_{c0d}/A_{netto} = 1000 \times 1.743 / 18000 = 0.10$  N/mm<sup>2</sup>  
 $\sigma_{myd} = Myd/W_{my, netto} = 1E+06 \times 3.606 / 4.500E+005 = 8.01$  N/mm<sup>2</sup>  
 $\sigma_{mzd} = Mzd/W_{mz, netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>

$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.000 + 0.620 + 0.000 = 0.62 < 1$  (EC5 Eq.6.19)

$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.000 + 0.434 + 0.000 = 0.43 < 1$  (EC5 Eq.6.20)

The check is satisfied

### Timber design, element 7, [Left end ], L= 2.400m, B= 120mm, H= 150mm

**MedA=1.22kNm (x=t/2=0.07m), VedA=4.20kN (x=t/2=0.07m), VedAmax=4.44kN, NedA=-1.74kN**

**Bending, Myd=1.224 kNm, Mzd=0.000 kNm** (EC5 §6.1.6)

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>  
Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

f<sub>myk</sub>=24.00 N/mm<sup>2</sup>, f<sub>myd</sub>=Kmod·f<sub>myk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>  
f<sub>mzk</sub>=24.00 N/mm<sup>2</sup>, f<sub>mzd</sub>=Kmod·f<sub>mzk</sub>/γM=0.70×24.00/1.30=12.92N/mm<sup>2</sup>

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))  
 $\sigma_{myd} = Myd/W_{my, netto} = 1E+06 \times 1.224 / 4.500E+005 = 2.72$  N/mm<sup>2</sup>  
 $\sigma_{mzd} = Mzd/W_{mz, netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>

$\sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.210 + 0.000 = 0.21 < 1$  (EC5 Eq.6.11)

$K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.147 + 0.000 = 0.15 < 1$  (EC5 Eq.6.12)

The check is satisfied

**Shear,  $F_v=4.198$  kN (EC5 §6.1.7)**

Rectangular cross section,  $b_{ef}=0.67 \times 120=80$  mm,  $h=150$  mm,  $A=12\,000$  mm<sup>2</sup>  
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00$  N/mm<sup>2</sup>,  $f_{vd}=K_{mod} \cdot f_{vk} / \gamma_M = 0.70 \times 4.00 / 1.30 = 2.15$  N/mm<sup>2</sup> (EC5 Eq.2.14)  
 $F_v=4.198$  kN,  $v_{0d}=1.50 F_v / A_{netto} = 1000 \times 1.50 \times 4.198 / 12000 = 0.52$  N/mm<sup>2</sup> <  $2.15$  N/mm<sup>2</sup> =  $f_{v0d}$  (Eq.6.13)  
 The check is satisfied

**Combined bending and axial compression,  $F_{c0d}=-1.743$  kN,  $M_{yd}=1.224$  kNm,  $M_{zd}=0.000$  kNm (EC5 §6.2.4)**

Rectangular cross section,  $b=120$  mm,  $h=150$  mm,  $A=1.800E+004$  mm<sup>2</sup>,  $W_y=4.500E+005$  mm<sup>3</sup>,  $W_z=3.600E+005$  mm<sup>3</sup>  
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00$  N/mm<sup>2</sup>,  $f_{c0d}=K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31$  N/mm<sup>2</sup>  
 $f_{yk}=24.00$  N/mm<sup>2</sup>,  $f_{yd}=K_{mod} \cdot f_{yk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>  
 $f_{mk}=24.00$  N/mm<sup>2</sup>,  $f_{md}=K_{mod} \cdot f_{mk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d} / A_{netto} = 1000 \times 1.743 / 18000 = 0.10$  N/mm<sup>2</sup>  
 $\sigma_{myd}=M_{yd} / W_{my,netto} = 1E+06 \times 1.224 / 4.500E+005 = 2.72$  N/mm<sup>2</sup>  
 $\sigma_{mzd}=M_{zd} / W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>

$(\sigma_{c0d} / f_{c0d})^2 + \sigma_{myd} / f_{yd} + K_m \cdot \sigma_{mzd} / f_{md} = 0.000 + 0.210 + 0.000 = 0.21 < 1$  (EC5 Eq.6.19)  
 $(\sigma_{c0d} / f_{c0d})^2 + K_m \cdot \sigma_{myd} / f_{yd} + \sigma_{mzd} / f_{md} = 0.000 + 0.147 + 0.000 = 0.15 < 1$  (EC5 Eq.6.20)  
 The check is satisfied

**Timber design, element 7, [Right end],  $L=2.400$  m,  $B=120$  mm,  $H=150$  mm**

**$M_{edB}=1.224$  kNm ( $x=t/2=0.07$  m),  $V_{edB}=4.20$  kN ( $x=t/2=0.07$  m),  $V_{edBmax}=4.44$  kN,  $N_{edB}=-1.74$  kN**

**Bending,  $M_{yd}=1.224$  kNm,  $M_{zd}=0.000$  kNm (EC5 §6.1.6)**

Rectangular cross section,  $b=120$  mm,  $h=150$  mm,  $A=1.800E+004$  mm<sup>2</sup>,  $W_y=4.500E+005$  mm<sup>3</sup>,  $W_z=3.600E+005$  mm<sup>3</sup>  
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{yk}=24.00$  N/mm<sup>2</sup>,  $f_{yd}=K_{mod} \cdot f_{yk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>  
 $f_{mk}=24.00$  N/mm<sup>2</sup>,  $f_{md}=K_{mod} \cdot f_{mk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd}=M_{yd} / W_{my,netto} = 1E+06 \times 1.224 / 4.500E+005 = 2.72$  N/mm<sup>2</sup>  
 $\sigma_{mzd}=M_{zd} / W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>

$\sigma_{myd} / f_{yd} + K_m \cdot \sigma_{mzd} / f_{md} = 0.210 + 0.000 = 0.21 < 1$  (EC5 Eq.6.11)  
 $K_m \cdot \sigma_{myd} / f_{yd} + \sigma_{mzd} / f_{md} = 0.147 + 0.000 = 0.15 < 1$  (EC5 Eq.6.12)  
 The check is satisfied

**Shear,  $F_v=4.198$  kN (EC5 §6.1.7)**

Rectangular cross section,  $b_{ef}=0.67 \times 120=80$  mm,  $h=150$  mm,  $A=12\,000$  mm<sup>2</sup>  
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00$  N/mm<sup>2</sup>,  $f_{vd}=K_{mod} \cdot f_{vk} / \gamma_M = 0.70 \times 4.00 / 1.30 = 2.15$  N/mm<sup>2</sup> (EC5 Eq.2.14)  
 $F_v=4.198$  kN,  $v_{0d}=1.50 F_v / A_{netto} = 1000 \times 1.50 \times 4.198 / 12000 = 0.52$  N/mm<sup>2</sup> <  $2.15$  N/mm<sup>2</sup> =  $f_{v0d}$  (Eq.6.13)  
 The check is satisfied

**Combined bending and axial compression,  $F_{c0d}=-1.743$  kN,  $M_{yd}=1.224$  kNm,  $M_{zd}=0.000$  kNm (EC5 §6.2.4)**

Rectangular cross section,  $b=120$  mm,  $h=150$  mm,  $A=1.800E+004$  mm<sup>2</sup>,  $W_y=4.500E+005$  mm<sup>3</sup>,  $W_z=3.600E+005$  mm<sup>3</sup>  
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00$  N/mm<sup>2</sup>,  $f_{c0d}=K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31$  N/mm<sup>2</sup>  
 $f_{yk}=24.00$  N/mm<sup>2</sup>,  $f_{yd}=K_{mod} \cdot f_{yk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>  
 $f_{mk}=24.00$  N/mm<sup>2</sup>,  $f_{md}=K_{mod} \cdot f_{mk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92$  N/mm<sup>2</sup>

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d} / A_{netto} = 1000 \times 1.743 / 18000 = 0.10$  N/mm<sup>2</sup>  
 $\sigma_{myd}=M_{yd} / W_{my,netto} = 1E+06 \times 1.224 / 4.500E+005 = 2.72$  N/mm<sup>2</sup>  
 $\sigma_{mzd}=M_{zd} / W_{mz,netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00$  N/mm<sup>2</sup>



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$$(\sigma_{0d}/f_{c0d})^2 + \sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.000 + 0.210 + 0.000 = 0.21 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.000 + 0.147 + 0.000 = 0.15 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

### Timber design, element 7, L= 2.400m, B= 120mm, H= 150mm, Buckling resistance

#### **Lateral torsional stability of beams, Myd=3.606 kNm, Mzd=0.000 kNm (EC5 §6.3.3)**

Rectangular cross section, b=120mm, h=150mm, A=1.800E+004mm<sup>2</sup>, Wy=4.500E+005mm<sup>3</sup>, Wz=3.600E+005mm<sup>3</sup>

Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

$$f_{c0k} = 21.00 \text{ N/mm}^2, \quad f_{c0d} = K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$$

$$f_{myk} = 24.00 \text{ N/mm}^2, \quad f_{myd} = K_{mod} \cdot f_{myk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

$$f_{mzk} = 24.00 \text{ N/mm}^2, \quad f_{mzd} = K_{mod} \cdot f_{mzk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))

$$\sigma_{myd} = M_{yd} / W_{my, netto} = 1E+06 \times 3.606 / 4.500E+005 = 8.01 \text{ N/mm}^2$$

$$\sigma_{mzd} = M_{zd} / W_{mz, netto} = 1E+06 \times 0.000 / 3.600E+005 = 0.00 \text{ N/mm}^2$$

#### Buckling length S<sub>k</sub>

$$S_{ky} = 1.00 \times 2.400 = 2.400 \text{ m} = 2400 \text{ mm}$$

$$S_{kz} = 0.50 \times 2.400 = 1.200 \text{ m} = 1200 \text{ mm}$$

#### Slenderness

$$i_y = \sqrt{(I_y/A)} = 0.289 \times 150 = 43 \text{ mm}, \quad \lambda_y = 2400 / 43 = 55.81$$

$$i_z = \sqrt{(I_z/A)} = 0.289 \times 120 = 35 \text{ mm}, \quad \lambda_z = 1200 / 35 = 34.29$$

$$\sigma_{m, crit} = 0.78 \cdot b^2 \cdot E_{005} / (h \cdot L_{ef}) = 0.78 \times 120^2 \times 7400 / (150 \times 2160) = 256.53 \text{ N/mm}^2 \quad (\text{EC5 Eq.6.32})$$

$$\sigma_{m, crit} = 0.78 \cdot b^2 \cdot E_{005} / (h \cdot L_{ef}) = 0.78 \times 150^2 \times 7400 / (120 \times 1080) = 1002.08 \text{ N/mm}^2 \quad (\text{EC5 Eq.6.32})$$

#### Critical stresses

$$\sigma_{m, crity} = 256.53 \text{ N/mm}^2, \quad \lambda_{rel, my} = \sqrt{(f_{myk} / \sigma_{m, crity})} = 0.31 \quad (\text{EC5 Eq.6.30})$$

$$\sigma_{m, critz} = 1002.08 \text{ N/mm}^2, \quad \lambda_{rel, mz} = \sqrt{(f_{mzk} / \sigma_{m, critz})} = 0.15 \quad (\text{EC5 Eq.6.30})$$

$$\lambda_{rel, my} = 0.31, \quad (\lambda_{rel} \leq 0.75), \quad K_{crity} = 1.00 \quad (\text{EC5 Eq.6.34})$$

$$\lambda_{rel, mz} = 0.15, \quad (\lambda_{rel} \leq 0.75), \quad K_{critz} = 1.00 \quad (\text{EC5 Eq.6.34})$$

$$\sigma_{myd} / (K_{crity} \cdot f_{myd}) + K_m \cdot \sigma_{mzd} / (K_{critz} \cdot f_{mzd}) = 0.620 + 0.000 = 0.62 < 1 \quad (\text{EC5 Eq.6.33})$$

$$K_m \cdot \sigma_{myd} / (K_{crity} \cdot f_{myd}) + \sigma_{mzd} / (K_{critz} \cdot f_{mzd}) = 0.434 + 0.000 = 0.43 < 1 \quad (\text{EC5 Eq.6.33})$$

The check is satisfied

### Timber design, element 8, [Span ], L= 1.562m, B= 60mm, H= 100mm

$$M_{ed} = -0.38 \text{ kNm}, \quad V_{ed} = 0.80 \text{ kN}, \quad N_{ed} = -7.79 \text{ kN} \quad (x=0.47\text{m})$$

#### **Compression parallel to the grain, F<sub>c0d</sub>=-7.794 kN (EC5 §6.1.4)**

Rectangular cross section, b=60 mm, h=100 mm, A= 6 000 mm<sup>2</sup>

Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

$$f_{c0k} = 21.00 \text{ N/mm}^2, \quad f_{c0d} = K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2 \quad (\text{EC5 Eq.2.14})$$

$$F_{c0d} = -7.794 \text{ kN}, \quad \sigma_{c0d} = F_{c0d} / A_{netto} = 1000 \times 7.794 / 6000 = 1.30 \text{ N/mm}^2 < 11.31 \text{ N/mm}^2 = f_{c0d} \quad (\text{Eq.6.2})$$

The check is satisfied

#### **Bending, Myd=0.379 kNm, Mzd=0.000 kNm (EC5 §6.1.6)**

Rectangular cross section, b=60mm, h=100mm, A=6.000E+003mm<sup>2</sup>, Wy=1.000E+005mm<sup>3</sup>, Wz=6.000E+004mm<sup>3</sup>

Modification factor Kmod=0.70 (Table 3.1), material factor γM=1.30 (Table 2.3)

$$f_{myk} = 24.00 \text{ N/mm}^2, \quad f_{myd} = K_{mod} \cdot f_{myk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

$$f_{mzk} = 24.00 \text{ N/mm}^2, \quad f_{mzd} = K_{mod} \cdot f_{mzk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))

$$\sigma_{myd} = M_{yd} / W_{my, netto} = 1E+06 \times 0.379 / 1.000E+005 = 3.79 \text{ N/mm}^2$$

$$\sigma_{mzd} = M_{zd} / W_{mz, netto} = 1E+06 \times 0.000 / 6.000E+004 = 0.00 \text{ N/mm}^2$$

## Designing frame structures from Timber

$$\sigma_{myd}/f_{myd} + K_{m, \sigma_{mzd}}/\sigma_{mzd}/f_{mzd} = 0.294 + 0.000 = 0.29 < 1 \quad (\text{EC5 Eq.6.11})$$

$$K_{m, \sigma_{myd}}/\sigma_{myd} + \sigma_{mzd}/\sigma_{mzd}/f_{mzd} = 0.205 + 0.000 = 0.21 < 1 \quad (\text{EC5 Eq.6.12})$$

The check is satisfied

### Shear, $F_v = 0.802 \text{ kN}$ (EC5 §6.1.7)

Rectangular cross section,  $b_{ef} = 0.67 \times 60 = 40 \text{ mm}$ ,  $h = 100 \text{ mm}$ ,  $A = 4\,000 \text{ mm}^2$

Modification factor  $K_{mod} = 0.70$  (Table 3.1), material factor  $\gamma_M = 1.30$  (Table 2.3)

$$f_{vk} = 4.00 \text{ N/mm}^2, \quad f_{vd} = K_{mod} \cdot f_{vk} / \gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2 \quad (\text{EC5 Eq.2.14})$$

$$F_v = 0.802 \text{ kN}, \quad \tau_{v0d} = 1.50 F_v / A_{netto} = 1000 \times 1.50 \times 0.802 / 4000 = 0.30 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d} \quad (\text{Eq.6.13})$$

The check is satisfied

### Combined bending and axial compression, $F_{c0d} = -7.794 \text{ kN}$ , $M_{yd} = 0.379 \text{ kNm}$ , $M_{zd} = 0.000 \text{ kNm}$ (EC5 §6.2.4)

Rectangular cross section,  $b = 60 \text{ mm}$ ,  $h = 100 \text{ mm}$ ,  $A = 6.000 \text{ E} + 003 \text{ mm}^2$ ,  $W_y = 1.000 \text{ E} + 005 \text{ mm}^3$ ,  $W_z = 6.000 \text{ E} + 004 \text{ mm}^3$

Modification factor  $K_{mod} = 0.70$  (Table 3.1), material factor  $\gamma_M = 1.30$  (Table 2.3)

$$f_{c0k} = 21.00 \text{ N/mm}^2, \quad f_{c0d} = K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$$

$$f_{myk} = 24.00 \text{ N/mm}^2, \quad f_{myd} = K_{mod} \cdot f_{myk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

$$f_{mzk} = 24.00 \text{ N/mm}^2, \quad f_{mzd} = K_{mod} \cdot f_{mzk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

Rectangular cross section  $K_m = 0.70$  (EC5 §6.1.6.(2))

$$\sigma_{c0d} = F_{c0d} / A_{netto} = 1000 \times 7.794 / 6000 = 1.30 \text{ N/mm}^2$$

$$\sigma_{myd} = M_{yd} / W_y, \text{ netto} = 1 \text{ E} + 06 \times 0.379 / 1.000 \text{ E} + 005 = 3.79 \text{ N/mm}^2$$

$$\sigma_{mzd} = M_{zd} / W_z, \text{ netto} = 1 \text{ E} + 06 \times 0.000 / 6.000 \text{ E} + 004 = 0.00 \text{ N/mm}^2$$

$$(\sigma_{c0d} / f_{c0d})^2 + \sigma_{myd} / f_{myd} + K_{m, \sigma_{mzd}} / \sigma_{mzd} / f_{mzd} = 0.013 + 0.294 + 0.000 = 0.31 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{c0d} / f_{c0d})^2 + K_{m, \sigma_{myd}} / \sigma_{myd} + \sigma_{mzd} / \sigma_{mzd} / f_{mzd} = 0.013 + 0.205 + 0.000 = 0.22 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

## Timber design, element 8, [Left end ], $L = 1.562 \text{ m}$ , $B = 60 \text{ mm}$ , $H = 100 \text{ mm}$

$$M_{edA} = -0.68 \text{ kNm} \quad (x = t/2 = 0.09 \text{ m}), \quad V_{edA} = 0.82 \text{ kN} \quad (x = t/2 = 0.09 \text{ m}), \quad V_{edAmax} = 0.82 \text{ kN}, \quad N_{edA} = -7.82 \text{ kN}$$

### Compression parallel to the grain, $F_{c0d} = -7.820 \text{ kN}$ (EC5 §6.1.4)

Rectangular cross section,  $b = 60 \text{ mm}$ ,  $h = 100 \text{ mm}$ ,  $A = 6\,000 \text{ mm}^2$

Modification factor  $K_{mod} = 0.70$  (Table 3.1), material factor  $\gamma_M = 1.30$  (Table 2.3)

$$f_{c0k} = 21.00 \text{ N/mm}^2, \quad f_{c0d} = K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2 \quad (\text{EC5 Eq.2.14})$$

$$F_{c0d} = -7.820 \text{ kN}, \quad \sigma_{c0d} = F_{c0d} / A_{netto} = 1000 \times 7.820 / 6000 = 1.30 \text{ N/mm}^2 < 11.31 \text{ N/mm}^2 = f_{c0d} \quad (\text{Eq.6.2})$$

The check is satisfied

### Bending, $M_{yd} = 0.683 \text{ kNm}$ , $M_{zd} = 0.000 \text{ kNm}$ (EC5 §6.1.6)

Rectangular cross section,  $b = 60 \text{ mm}$ ,  $h = 100 \text{ mm}$ ,  $A = 6.000 \text{ E} + 003 \text{ mm}^2$ ,  $W_y = 1.000 \text{ E} + 005 \text{ mm}^3$ ,  $W_z = 6.000 \text{ E} + 004 \text{ mm}^3$

Modification factor  $K_{mod} = 0.70$  (Table 3.1), material factor  $\gamma_M = 1.30$  (Table 2.3)

$$f_{myk} = 24.00 \text{ N/mm}^2, \quad f_{myd} = K_{mod} \cdot f_{myk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

$$f_{mzk} = 24.00 \text{ N/mm}^2, \quad f_{mzd} = K_{mod} \cdot f_{mzk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

Rectangular cross section  $K_m = 0.70$  (EC5 §6.1.6.(2))

$$\sigma_{myd} = M_{yd} / W_y, \text{ netto} = 1 \text{ E} + 06 \times 0.683 / 1.000 \text{ E} + 005 = 6.83 \text{ N/mm}^2$$

$$\sigma_{mzd} = M_{zd} / W_z, \text{ netto} = 1 \text{ E} + 06 \times 0.000 / 6.000 \text{ E} + 004 = 0.00 \text{ N/mm}^2$$

$$\sigma_{myd} / f_{myd} + K_{m, \sigma_{mzd}} / \sigma_{mzd} / f_{mzd} = 0.529 + 0.000 = 0.53 < 1 \quad (\text{EC5 Eq.6.11})$$

$$K_{m, \sigma_{myd}} / \sigma_{myd} + \sigma_{mzd} / \sigma_{mzd} / f_{mzd} = 0.370 + 0.000 = 0.37 < 1 \quad (\text{EC5 Eq.6.12})$$

The check is satisfied

### Shear, $F_v = 0.820 \text{ kN}$ (EC5 §6.1.7)

Rectangular cross section,  $b_{ef} = 0.67 \times 60 = 40 \text{ mm}$ ,  $h = 100 \text{ mm}$ ,  $A = 4\,000 \text{ mm}^2$

Modification factor  $K_{mod} = 0.70$  (Table 3.1), material factor  $\gamma_M = 1.30$  (Table 2.3)

$$f_{vk} = 4.00 \text{ N/mm}^2, \quad f_{vd} = K_{mod} \cdot f_{vk} / \gamma_M = 0.70 \times 4.00 / 1.30 = 2.15 \text{ N/mm}^2 \quad (\text{EC5 Eq.2.14})$$

$$F_v = 0.820 \text{ kN}, \quad \tau_{v0d} = 1.50 F_v / A_{netto} = 1000 \times 1.50 \times 0.820 / 4000 = 0.31 \text{ N/mm}^2 < 2.15 \text{ N/mm}^2 = f_{v0d} \quad (\text{Eq.6.13})$$

The check is satisfied

**Combined bending and axial compression,  $F_{c0d}=-7.820\text{kN}$ ,  $M_{yd}=0.683\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.2.4)  
 Rectangular cross section,  $b=60\text{mm}$ ,  $h=100\text{mm}$ ,  $A=6.000\text{E}+003\text{mm}^2$ ,  $W_y=1.000\text{E}+005\text{mm}^3$ ,  $W_z=6.000\text{E}+004\text{mm}^3$   
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 7.820/6000= 1.30\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 0.683/1.000\text{E}+005= 6.83\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/6.000\text{E}+004= 0.00\text{ N/mm}^2$

$$(\sigma_{c0d}/f_{c0d})^2 + \sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.013 + 0.529 + 0.000 = 0.54 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{c0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.013 + 0.370 + 0.000 = 0.38 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

**Timber design, element 8, [Right end],  $L= 1.562\text{m}$ ,  $B= 60\text{mm}$ ,  $H= 100\text{mm}$**

**$Med_B=0.40\text{kNm}$  ( $x=t/2=0.10\text{m}$ ),  $Ved_B=0.76\text{kN}$  ( $x=t/2=0.10\text{m}$ ),  $Ved_{Bmax}=0.32\text{kN}$ ,  $Ned_B=-7.73\text{kN}$**

**Compression parallel to the grain,  $F_{c0d}=-7.733\text{ kN}$**  (EC5 §6.1.4)  
 Rectangular cross section,  $b=60\text{ mm}$ ,  $h=100\text{ mm}$ ,  $A= 6\ 000\text{ mm}^2$   
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$  (EC5 Eq.2.14)  
 $F_{c0d}=-7.733\text{ kN}$ ,  $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 7.733/6000=1.29\text{N/mm}^2 < 11.31\text{N/mm}^2=f_{c0d}$  (Eq.6.2)  
 The check is satisfied

**Bending,  $M_{yd}=0.396\text{ kNm}$ ,  $M_{zd}=0.000\text{ kNm}$**  (EC5 §6.1.6)  
 Rectangular cross section,  $b=60\text{mm}$ ,  $h=100\text{mm}$ ,  $A=6.000\text{E}+003\text{mm}^2$ ,  $W_y=1.000\text{E}+005\text{mm}^3$ ,  $W_z=6.000\text{E}+004\text{mm}^3$   
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 0.396/1.000\text{E}+005= 3.96\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/6.000\text{E}+004= 0.00\text{ N/mm}^2$

$$\sigma_{myd}/f_{yd} + K_m \cdot \sigma_{mzd}/f_{zd} = 0.307 + 0.000 = 0.31 < 1 \quad (\text{EC5 Eq.6.11})$$

$$K_m \cdot \sigma_{myd}/f_{yd} + \sigma_{mzd}/f_{zd} = 0.215 + 0.000 = 0.21 < 1 \quad (\text{EC5 Eq.6.12})$$

The check is satisfied

**Shear,  $F_v=0.756\text{ kN}$**  (EC5 §6.1.7)  
 Rectangular cross section,  $b_{ef}=0.67\times 60=40\text{ mm}$ ,  $h=100\text{ mm}$ ,  $A= 4\ 000\text{ mm}^2$   
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{vk}=4.00\text{ N/mm}^2$ ,  $f_{vd}=K_{mod}\cdot f_{vk}/\gamma_M=0.70\times 4.00/1.30=2.15\text{N/mm}^2$  (EC5 Eq.2.14)  
 $F_v=0.756\text{ kN}$ ,  $\tau_{v0d}=1.50F_v/A_{netto}=1000\times 1.50\times 0.756/4000=0.28\text{N/mm}^2 < 2.15\text{N/mm}^2=f_{vd}$  (Eq.6.13)  
 The check is satisfied

**Combined bending and axial compression,  $F_{c0d}=-7.733\text{kN}$ ,  $M_{yd}=0.396\text{kNm}$ ,  $M_{zd}=0.000\text{kNm}$**  (EC5 §6.2.4)  
 Rectangular cross section,  $b=60\text{mm}$ ,  $h=100\text{mm}$ ,  $A=6.000\text{E}+003\text{mm}^2$ ,  $W_y=1.000\text{E}+005\text{mm}^3$ ,  $W_z=6.000\text{E}+004\text{mm}^3$   
 Modification factor  $K_{mod}=0.70$  (Table 3.1), material factor  $\gamma_M=1.30$  (Table 2.3)  
 $f_{c0k}=21.00\text{ N/mm}^2$ ,  $f_{c0d}=K_{mod}\cdot f_{c0k}/\gamma_M=0.70\times 21.00/1.30=11.31\text{N/mm}^2$   
 $f_{yk}=24.00\text{ N/mm}^2$ ,  $f_{yd}=K_{mod}\cdot f_{yk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$   
 $f_{zk}=24.00\text{ N/mm}^2$ ,  $f_{zd}=K_{mod}\cdot f_{zk}/\gamma_M=0.70\times 24.00/1.30=12.92\text{N/mm}^2$

Rectangular cross section  $K_m=0.70$  (EC5 §6.1.6.(2))  
 $\sigma_{c0d}=F_{c0d}/A_{netto}=1000\times 7.733/6000= 1.29\text{ N/mm}^2$   
 $\sigma_{myd}=M_{yd}/W_{my,netto}=1\text{E}+06\times 0.396/1.000\text{E}+005= 3.96\text{ N/mm}^2$   
 $\sigma_{mzd}=M_{zd}/W_{mz,netto}=1\text{E}+06\times 0.000/6.000\text{E}+004= 0.00\text{ N/mm}^2$

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$$(\sigma_{0d}/f_{c0d})^2 + \sigma_{myd}/f_{myd} + K_m \cdot \sigma_{mzd}/f_{mzd} = 0.013 + 0.307 + 0.000 = 0.32 < 1 \quad (\text{EC5 Eq.6.19})$$

$$(\sigma_{0d}/f_{c0d})^2 + K_m \cdot \sigma_{myd}/f_{myd} + \sigma_{mzd}/f_{mzd} = 0.013 + 0.215 + 0.000 = 0.23 < 1 \quad (\text{EC5 Eq.6.20})$$

The check is satisfied

### **Timber design, element 8 , L= 1.562m, B= 60mm, H= 100mm, Buckling resistance**

**Column stability with bending, F<sub>c0d</sub>=-7.820kN, M<sub>yd</sub>=0.683kNm, M<sub>zd</sub>=0.000kNm** (EC5 §6.3.2)

Rectangular cross section, b=60mm, h=100mm, A=6.000E+003mm<sup>2</sup>, W<sub>y</sub>=1.000E+005mm<sup>3</sup>, W<sub>z</sub>=6.000E+004mm<sup>3</sup>

Modification factor K<sub>mod</sub>=0.70 (Table 3.1), material factor γ<sub>M</sub>=1.30 (Table 2.3, E<sub>005</sub>=7400N/mm<sup>2</sup>)

$$f_{c0k} = 21.00 \text{ N/mm}^2, \quad f_{c0d} = K_{mod} \cdot f_{c0k} / \gamma_M = 0.70 \times 21.00 / 1.30 = 11.31 \text{ N/mm}^2$$

$$f_{myk} = 24.00 \text{ N/mm}^2, \quad f_{myd} = K_{mod} \cdot f_{myk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

$$f_{mzk} = 24.00 \text{ N/mm}^2, \quad f_{mzd} = K_{mod} \cdot f_{mzk} / \gamma_M = 0.70 \times 24.00 / 1.30 = 12.92 \text{ N/mm}^2$$

Rectangular cross section K<sub>m</sub>=0.70 (EC5 §6.1.6.(2))

$$\sigma_{c0d} = F_{c0d} / A_{netto} = 1000 \times 7.820 / 6000 = 1.30 \text{ N/mm}^2$$

$$\sigma_{myd} = M_{yd} / W_{my, netto} = 1 \times 10^6 \times 0.683 / 1.000 \times 10^5 = 6.83 \text{ N/mm}^2$$

$$\sigma_{mzd} = M_{zd} / W_{mz, netto} = 1 \times 10^6 \times 0.000 / 6.000 \times 10^4 = 0.00 \text{ N/mm}^2$$

#### Buckling length S<sub>k</sub>

$$S_{ky} = 1.00 \times 1.562 = 1.562 \text{ m} = 1562 \text{ mm}$$

$$S_{kz} = 1.00 \times 1.562 = 1.562 \text{ m} = 1562 \text{ mm}$$

#### Slenderness

$$i_y = \sqrt{I_y / A} = 0.289 \times 100 = 29 \text{ mm}, \quad \lambda_y = 1562 / 29 = 53.86$$

$$i_z = \sqrt{I_z / A} = 0.289 \times 60 = 17 \text{ mm}, \quad \lambda_z = 1562 / 17 = 91.88$$

#### Critical stresses

$$\sigma_{c, crit y} = \pi^2 E_{005} / \lambda_y^2 = 25.18 \text{ N/mm}^2, \quad \lambda_{rel, y} = \sqrt{f_{c0k} / \sigma_{c, crit y}} = 0.91 \quad (\text{EC5 Eq.6.21})$$

$$\sigma_{c, crit z} = \pi^2 E_{005} / \lambda_z^2 = 8.65 \text{ N/mm}^2, \quad \lambda_{rel, z} = \sqrt{f_{c0k} / \sigma_{c, crit z}} = 1.56 \quad (\text{EC5 Eq.6.22})$$

β<sub>c</sub>=0.20 (solid timber)

$$k_y = 0.5 [1 + \beta_c (\lambda_{rel y} - 0.3) + \lambda_{rel y}^2] = 0.98, \quad K_{cy} = 1 / (k_y + \sqrt{k_y^2 - \lambda_{rel y}^2}) = 0.752 \quad (\text{Eq.6.27 6.25})$$

$$k_z = 0.5 [1 + \beta_c (\lambda_{rel z} - 0.3) + \lambda_{rel z}^2] = 1.84, \quad K_{cz} = 1 / (k_z + \sqrt{k_z^2 - \lambda_{rel z}^2}) = 0.355 \quad (\text{Eq.6.28 6.26})$$

$$\sigma_{c0d} / (K_{cy} \cdot f_{c0d}) + \sigma_{myd} / f_{myd} + K_m \cdot \sigma_{mzd} / f_{mzd} = 0.153 + 0.529 + 0.000 = 0.68 < 1 \quad (\text{EC5 Eq.6.23})$$

$$\sigma_{c0d} / (K_{cz} \cdot f_{c0d}) + K_m \cdot \sigma_{myd} / f_{myd} + \sigma_{mzd} / f_{mzd} = 0.325 + 0.370 + 0.000 = 0.69 < 1 \quad (\text{EC5 Eq.6.24})$$

The check is satisfied